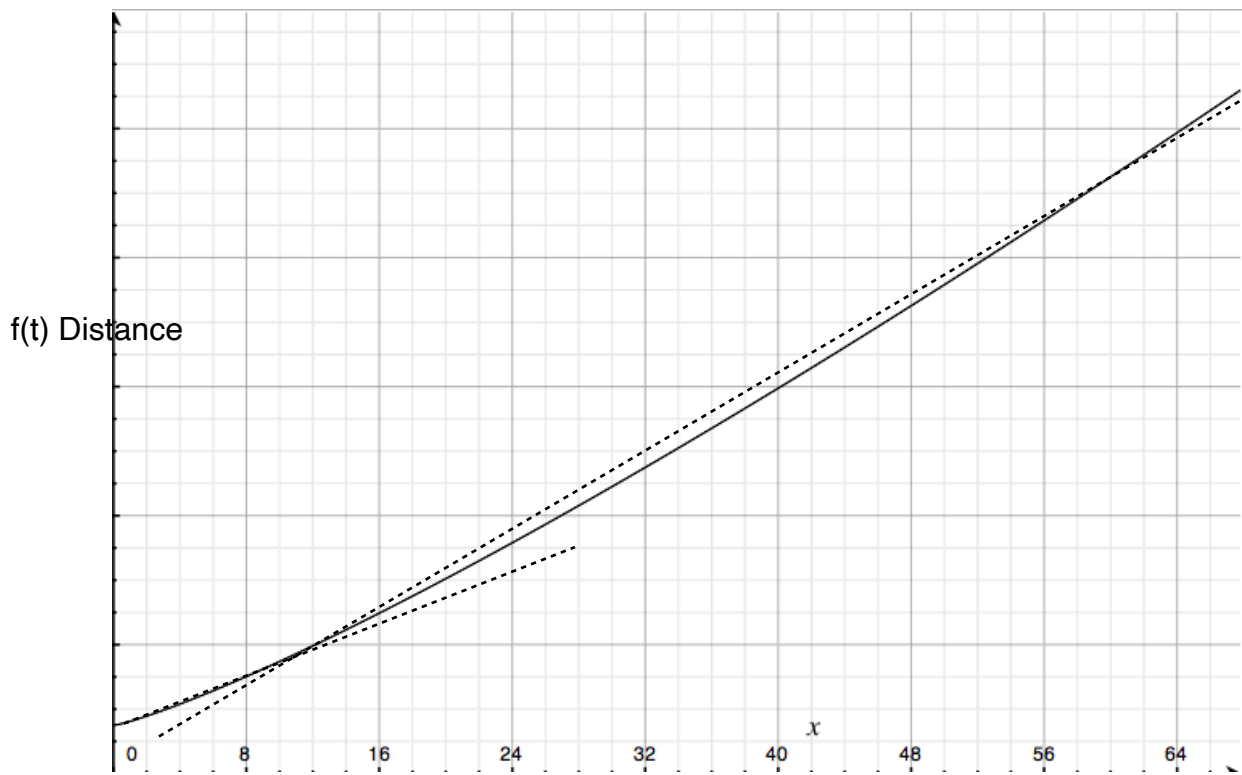


## The Derivative Function

Consider a Distance vs Time graph



slope of a secant line to a distance  
average velocity.

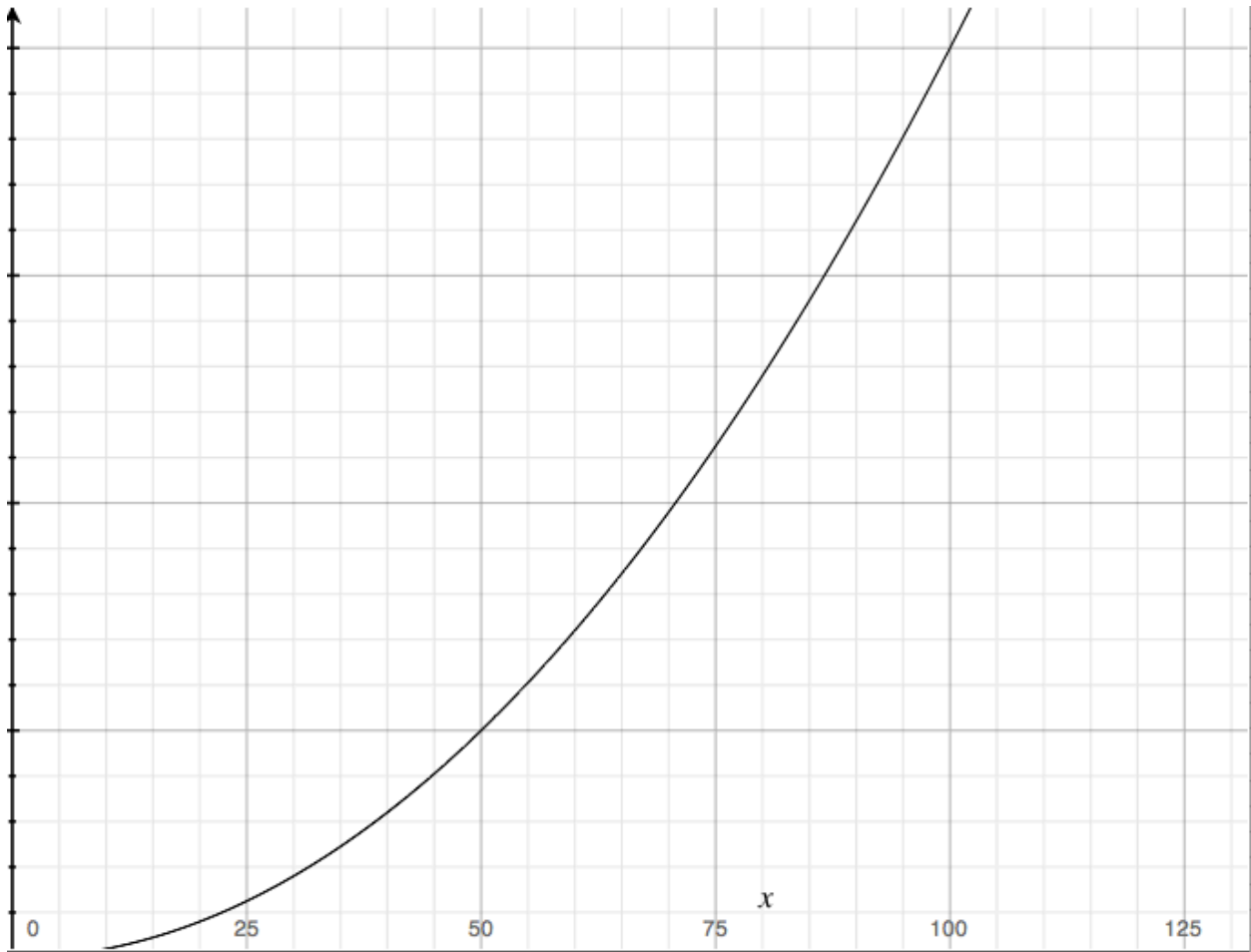
Time, seconds

curve represents the

The

Average velocity = change in distance/change in time =  $f(t_2) - f(t_1) / t_2 - t_1$ .

## The Derivative Function



Instantaneous velocity at  $t=a$ , slope of the tangent.

line (or velocity; instantaneous velocity) at  $a = \lim_{h \rightarrow 0} \frac{f(a+h) - f(a)}{h}$   
That is the limit definition of 1st derivative.

Question: Wouldn't the slope (instantaneous velocity) be less accurate when the change in two consecutive outputs is greater than the slope of when two consecutive outputs is smaller?

Mr. Trocki: He understood exactly what I was talking about and referred me to Cardinality.

Definition of a function defined graphically given the graph of  $f$ , graph  $f'$ .

# The Derivative Function

